## **OpenRules Decision Model for**

# **DMCommunity June-2024 Challenge "Smart Marriages"**

(without Java)

## **Problem**

This challenge deals with the <u>famous stable marriage problem</u> formulated as follows:

"Given n men and n women, where each person has ranked all members of the opposite sex in order of preference, marry the men and women together such that there are no two people of the opposite sex who would both rather have each other than their current partners. When there are no such pairs of people, the set of marriages is deemed stable."

Here is an example of the problem:

#### How Men Rank Women:

	Alice	Barbara	Claire	Doris	Elsie
Adam	5	1	2	4	3
Bob	4	1	3	2	5
Charlie	5	3	2	4	1
Dave	1	5	4	3	2
Edgar	4	3	2	1	5

#### How Women Rank Men:

	Adam	Bob	Charlie	Dave	Edgar
Alice	1	2	4	3	5
Barbara	3	5	1	2	4
Claire	5	4	2	1	3
Doris	1	4	3	2	5
Elsie	4	2	3	5	1

I've already <u>submitted a solution</u> using OpenRules Decision Manager with <u>RuleSolver</u>. I offered two different implementation approaches and both of them contain technical parts implemented in a Java class with direct calls of <u>JSR-331</u> (Constraint Programming API). Still, I wanted to do the same without Java providing a solution more oriented to a business person. Below I describe such a solution that implements Approach 1 but without Java. The complete solution can be found in the file <u>StableMarriageExcel.xls</u>.

### **Solution**

As in Approach 1, I didn't need to implement complex marriage stability constraints. Instead, I implemented simple constraints that state:

"Each person should marry one and only one person of the opposite gender".

Then I defined preferences for all pairs "man-woman" and "woman-man" and calculated the sum of all these preferences. It became my optimization objective. When I minimized this objective, I received a solution with the most top preferences being satisfied.

### **Business Part**

I started with the creation of a business glossary:

Glossary glossary					
Variables	Business Concept	Attribute	Туре		
Men	Marriages	men	Person[]		
Women	Marriages	women	Person[]		
Name	Person	name	String		
Preferences	reison	preferences	int[]		
Assigned Pairs	Results	assignedPairs	String[]		

Then I created test data for two instances of the problem of sizes 5 and 6:

DecisionData Person men5		Decision	DecisionData Person women5	
Person Name	Person Preferences	Person N	lame F	erson Preference
Adam	5,1,2,4,3	Alice	;	1,2,4,3,5
Bob	4,1,3,2,5	Barba	ra	3,5,1,2,4
Charlie	5,3,2,4,1	Claire	е	5,4,2,1,3
Dave	1,5,4,3,2	Doris	3	1,4,3,2,5
Edgar	4,3,2,1,5	Elsie	)	4,2,3,5,1

DecisionData Person men6		DecisionData Person women6	
Person Name	Person Preferences	Person Name	Person Preferences
Adam	1,2,4,5,6,3	Alice	5,2,6,3,1,4
Bob	4,2,5,3,1,6	Barbara	6,5,1,2,4,3
Charlie	2,5,4,6,3,1	Claire	3,2,1,4,5,6
Dave	3,4,2,6,5,1	Doris	2,4,1,3,5,6
Edgar	6,3,2,1,5,4	Elsie	3,5,4,2,1,6
Fred	4,6,3,2,1,5	Fiona	5,1,6,4,2,3

I added these samples as test cases for my OpenRules-based decision model and added expected results from my previous solution:

Decisio	DecisionTest testCases							
#	ActionDefine	ActionDefine	ActionExpect					
Test	Women	Men	Assigned Pairs					
1	women5	men5	Adam-Barbara Bob-Doris Charlie-Elsie Dave-Alice Edgar-Claire					
2	women6	men6	Adam-Alice Bob-Barbara Charlie-Claire Dave-Fiona Edgar-Doris Fred-Elsie					

To check that my test data satisfies the requirement "there should be the same number of men and women", I added the following decision table:

Dec	Decision ValidateData					
Condition		Message	ActionExecute			
Count of Men		ERROR Rules				
!=	Count of Women	"Number of men and women should be the same"	ACTION-TERMINATE			

### **Solver Part**

I used the following table to create all unknown decision variables:

Decision DefineAllVariables [for each Man in Men; for each Woman in Women]					
SolverDefineVariables					
Variable Name Method Name Par 1 Par 2					
{{Name of Man}}-{{Name of Woman}}	"New Variable"	"0"	"1"		

They all are constrained variables with possible values of 0 or 1 and names like "Adam-Alice", "Adam-Barbara", etc.

To state that "each man should marry one and only one woman" I decided to organize a loop for each Man in the array of Men:

Decision PostMenConstraints [for each Man in Men]
ActionExecute
Decision Tables
DefineManVariables
DefineSumOfManVariables
PostManConstraints

This loop executes the following decision tables:

Decision DefineManVariables [for each Woman in Women]				
SolverDefineVariables				
Variable Name Method Name Variable Name				
{{Name of Man}} Variables	"Add Variable"	{{Name of Man}}-{{Name of Woman}}		

Decision DefineSumOfManVariables					
SolverDefineVariables					
Expression Name	Method	Variables			
Sum of {{Name of Man}} Variables	"Sum"	{{Name of Man}} Variables			

Decision PostManConstraints				
	SolverPostCons	traints		
Constraint Name	Constraint Type	Par 1	Par 2	Par 3
"Woman should marry one and only one man"	"Variable Operator Value"	Sum of {{Name of Man}} Variables	"="	"1"

Then I created similar 4 tables to state that "each woman should marry one and only one man". Here they are:

Decision PostWomenConstraints [for each Woman in Women]			
ActionExecute			
Decision Tables			
DefineWomanVariables			
DefineSumOfWomanVariables			
PostWomanConstraints			

Decision DefineWomanVariables [for each Man in Men]				
SolverDefineVariables				
Variable Name Method Name Variable Name				
{{Name of Woman}} Variables	"Add Variable"	{{Name of Man}}-{{Name of Woman}}		

Decision DefineSumOfWomanVariables				
SolverDefineVariables				
Expression Name Method Variables				
Sum of {{Name of Woman}} Variables	"Sum"	{{Name of Woman}} Variables		

Decision PostWomanConstraints						
SolverPostConstraints						
Constraint Name	Constraint Type	Par 1	Par 2	Par 3		
"Man should marry one and only one woman"	"Variable Operator Value"	Sum of {{Name of Woman}} Variables	"="	"1"		

To define an array "Men Preferences" I organized the following loop:

Decision DefineManPreferenceVariables [ for each Man in Men;    ManPreferences = Preferences of Man ]				
	SolverD	efineVariables		
Variable Name Method Name Par 1 Par 2				
{{Name of Man}} Preferences	"ScalarProduct"	{{Name of Man}} Variables	"ManPreferences"	
"Men Preferences"	"Add Variable"	{{Name of Man}} Preferences		

For each Man from the array Men it calculates an array of ManPreferences with integer values and then uses this array to define preference variables such as "Adam Preferences" which as a scalar product of Adam Variables and ManPreferences. The second rule in this table adds this just-created variable to the array "Men Preferences".

Similarly, I organized the following loop to define an array "Women Preferences":

Decision DefineWomanPreferenceVariables [ for each Woman in Women;   WomanPreferences = Preferences of Woman ]					
	SolverDefineVariables				
Variable Name	Par 2				
{{Name of Woman}} Preferences	"ScalarProduct"	{{Name of Woman}} Variables	"WomanPreferences"		
"Women Preferences"	"Add Variable"	{{Name of Woman}} Preferences			

The only remaining step was to summarize all men's and women's preferences. I did it in the following table in which I first defined two variables "Sum of Men Preferences" and "Sum of Women Preferences" and then defined "All Preferences" as a sum of these two variables:

Decision DefineAllPreferences					
	SolverDefineVariables				
Expression Name	Method	Variable	Oper	Variable	
"Sum of Men Preferences"	"Sum"	"Men Preferences"			
"Sum of Women Preferences"	Sulli	"Women Preferences"			
"All Preferences"	"Variable Operator Variable"	"Sum of Men Preferences"	"+"	"Sum of Women Preferences"	

Finally, as we usually do for Rule Solver, I needed to define two methods "Define" and "Solve" to complete my decision model. Here is the method "Define" that simply executes previously specified decision tables:

Decision Define
ActionExecute
Decision Tables
ValidateData
DefineAllVariables
PostMenConstraints
PostWomenConstraints
DefineManPreferenceVariables
DefineWomanPreferenceVariables
DefineAllPreferences

And here is the method "Solve" that sets our optimization objective "All Preferences" and uses the standard methods "Solver Minimize" and "SolverLogSolution" to minimize and print the optimal solution:

Decision Solve
ActionExecute
Actions
SetObjective
SolverMinimize
SolverLogSolution
AssignSolution
Decision SetObjective
SolverSetObjective
Objective
"All Preferences"

I wanted to save the found solution in the array "Assigned Pairs" defined in our Glossary as the decision model output. I did it using the following decision table:

Decision AssignSolution [for each Man in Men; for each Woman in Women]				
SolverSolutionCondition Action				
Variable Name	Operator	Value	Assigned Pairs	
{{Name of Man}}-{{Name of Woman}}	=	1	Add	{{Name of Man}}-{{Name of Woman}}

When I executed my decision model I received the expected results for both test cases that correspond to the same results from a similar implementation but done in Java:

Decisi	DecisionTest testCases					
#	ActionDefine	ActionDefine	ActionExpect			
Test	Women	Men	Assigned Pairs			
1	women5	men5	Adam-Barbara Bob-Doris Charlie-Elsie Dave-Alice Edgar-Claire			
2	women6	men6	Adam-Alice Bob-Barbara Charlie-Claire Dave-Fiona Edgar-Doris Fred-Elsie			

```
Optimal Solution with top satisfied preferences: 23
Adam(1) - Barbara(3)
Bob(2) - Doris(4)
Charlie(1) - Elsie(3)
Dave(1) - Alice(3)
Edgar(2) - Claire(3)

Optimal Solution with top satisfied preferences: 36
Adam(1) - Alice(5)
Bob(2) - Barbara(5)
Charlie(4) - Claire(1)
Dave(1) - Fiona(4)
Edgar(1) - Doris(5)
Fred(1) - Elsie(6)
```

The execution time was also the same and extremely fast (around 100 milliseconds per test case).